

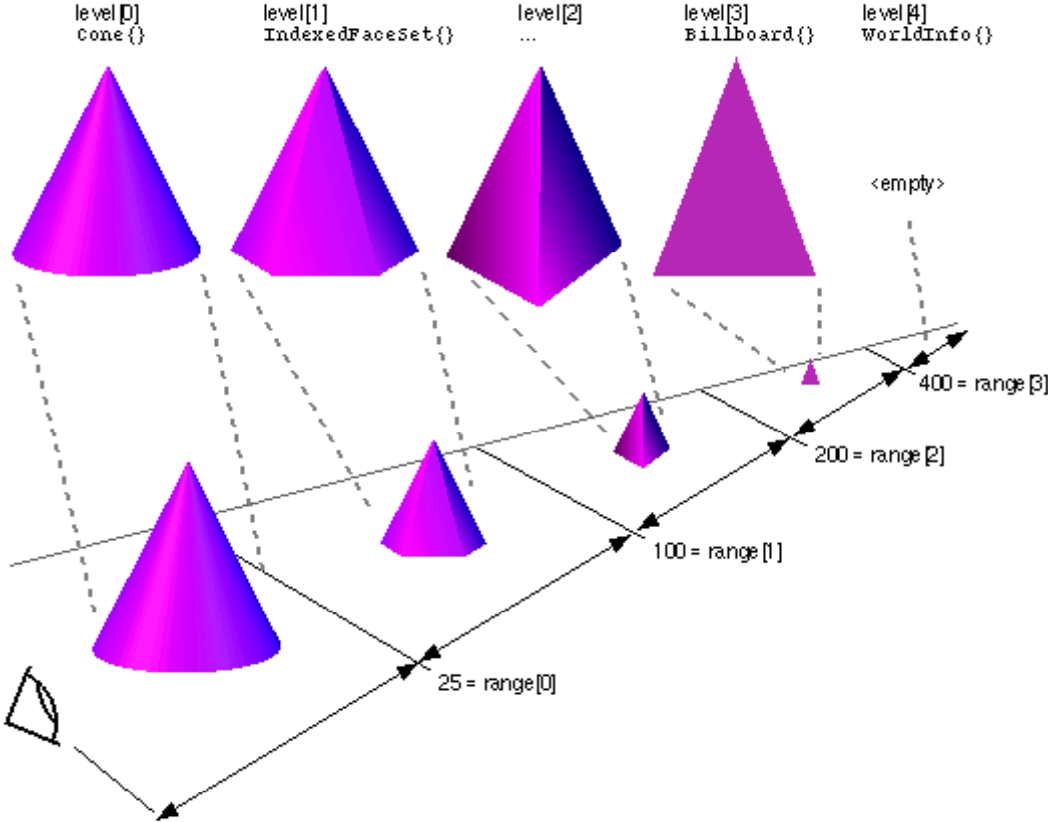
Real-Time Rendering (Echtzeitgraphik)



Dr. Michael Wimmer
wimmer@cg.tuwien.ac.at



Levels of Detail



- Problem: even after visibility, model may contain too many polygons
- Idea: Simplify the amount of detail used to render small or distant objects
- Known as
 - Multiresolution modeling, polygonal simplification, geometric simplification, mesh reduction, decimation, multiresolution modeling, ...



- Polygonal simplification methods simplify the polygonal **geometry** of small or distant objects
- Does not change rasterization
 - Fragment count remains roughly identical
- Note:
 - Levels of detail, but:
 - Level-of-detail rendering
 - NOT: level of details!



- Create *levels of detail* (LODs) for each object in a preprocess (or by hand):



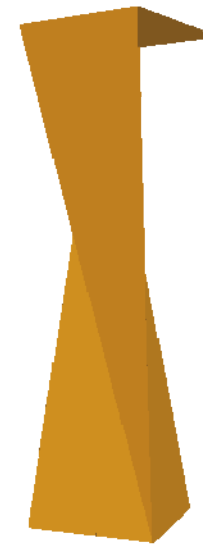
10,108 polys



1,383 polys



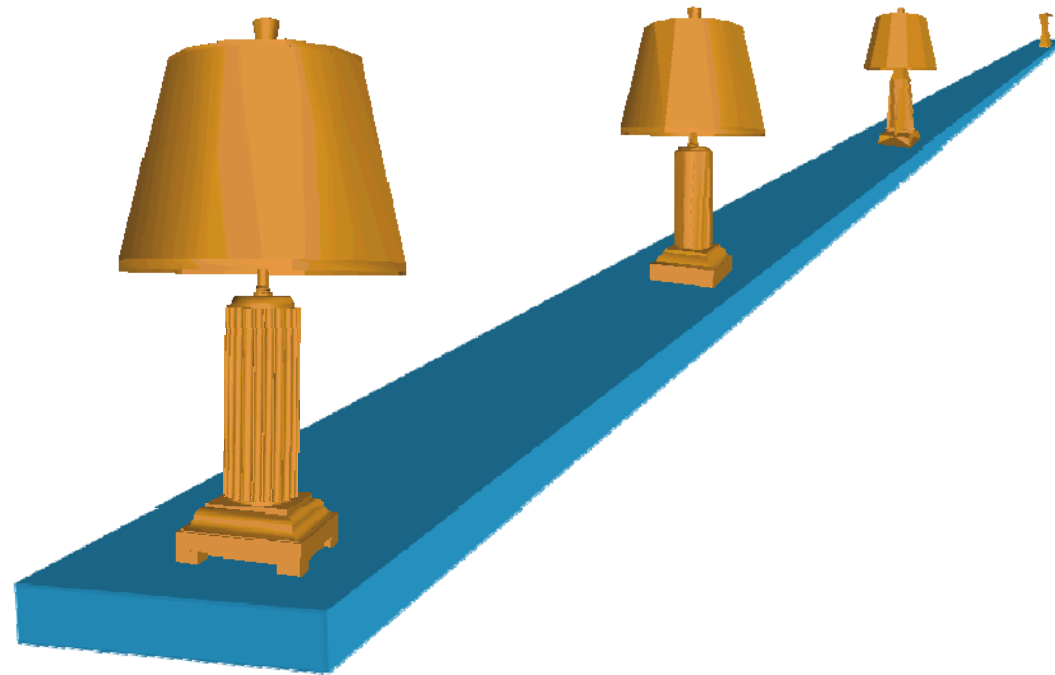
474 polys



46 polys



- At runtime, distant objects use coarser LODs:



- LOD **generation**
 - Simplification methods
 - How to reduce polygons
 - Error measures
 - Which polygons to reduce
- Runtime system
 - LOD **framework**
 - Which LODs are eligible
 - LOD **selection**
 - Criteria for which LODs are selected
 - LOD **switching**
 - How to avoid artifacts



- LOD framework
 - Discrete
 - Continuous (a.k.a. progressive)
 - View-dependent
- LOD selection
 - Static (distance/projected area-based)
 - Reactive (react to last frames rendering time)
 - Predictive (cost/benefit model)
- LOD switching
 - Hard switching (popping artifacts!)
 - Blending (ill-defined because of z-buffer!)
 - Geomorph



- Main topic of this lecture!
- Simplification methods (“operators”)
 - Geometry
 - Edge collapse
 - ...
 - Topology
- What criteria to guide simplification?
 - Visual/perceptual criteria are hard
 - Geometric criteria are more common



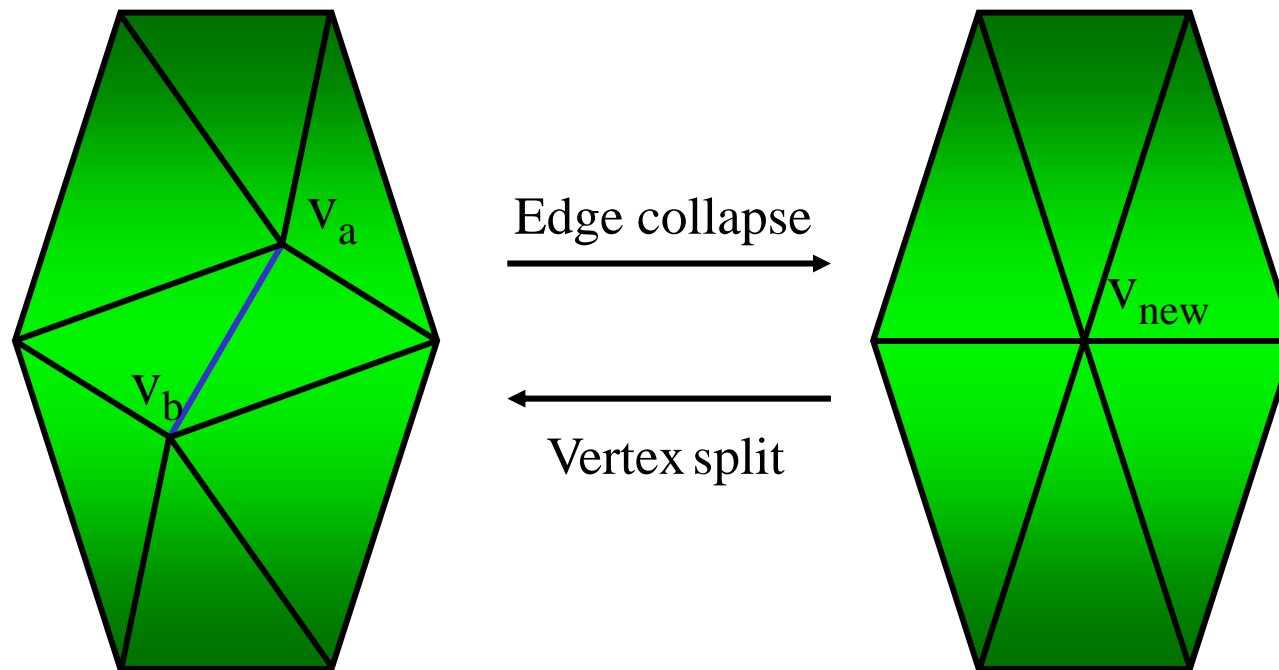
- Local geometry simplification
 - Iteratively reduce number of geometric primitives (vertices, edges, triangles)
- Topology simplification
 - Reducing number of holes, tunnels, cavities
- Global geometry simplification



- Edge collapse
- Vertex-pair collapse
- Triangle collapse
- Cell collapse
- Vertex removal
- General geometric replacement



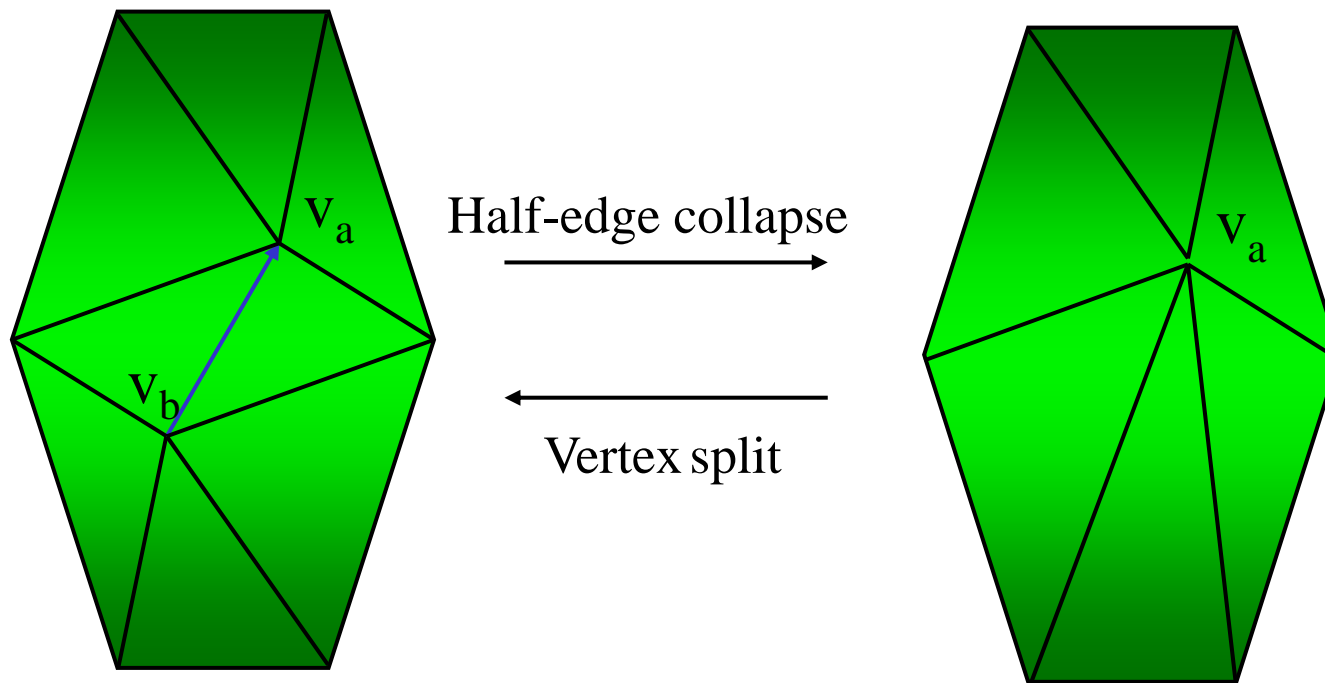
Edge Collapse

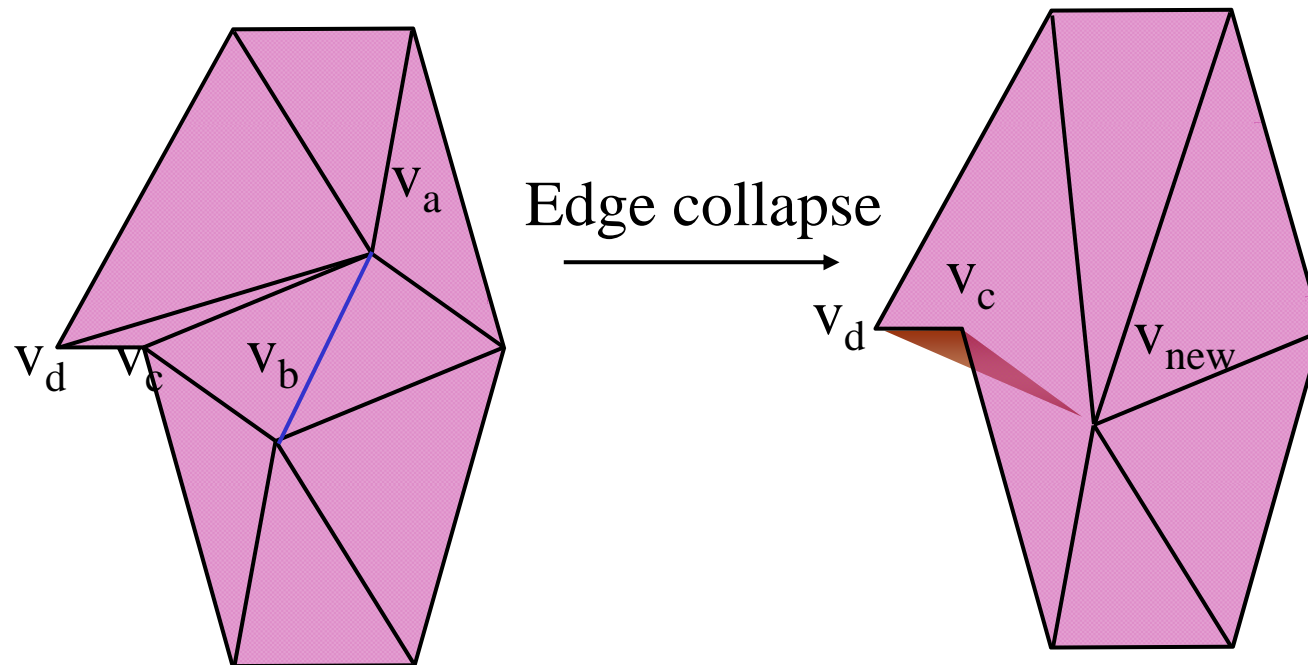


Hoppe, *SIGGRAPH 96*; Xia *et al.*, *Visualization 96*; Hoppe, *SIGGRAPH 97*;
Bajaj *et al.*, *Visualization 99*; Gueziec *et al.*, *CG&A 99*; ...



Half-Edge Collapse

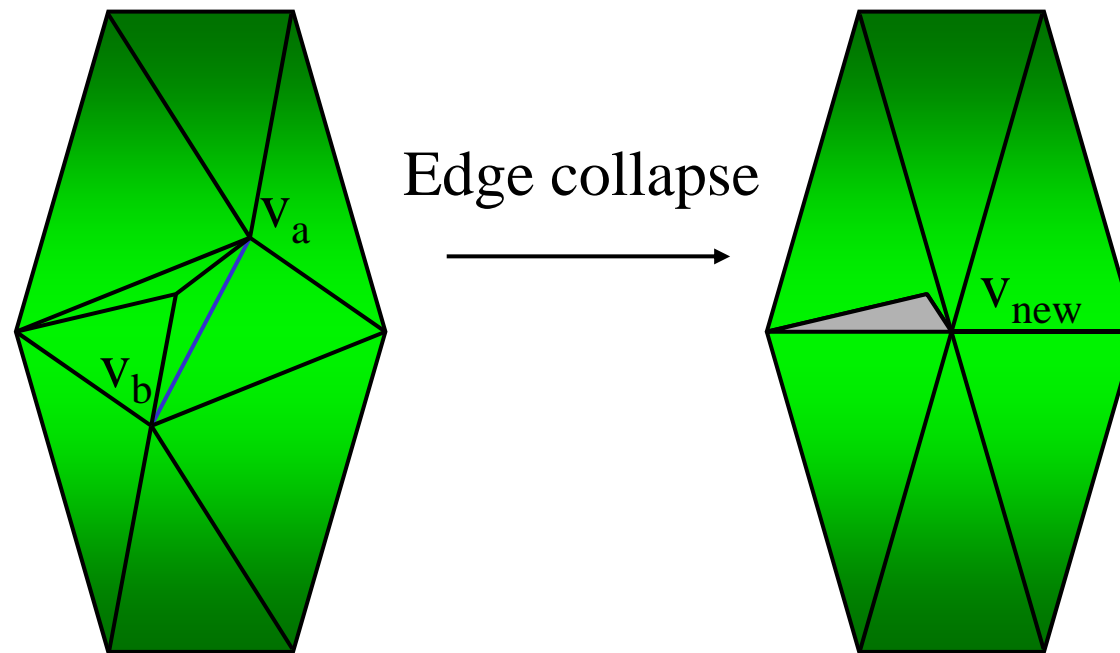




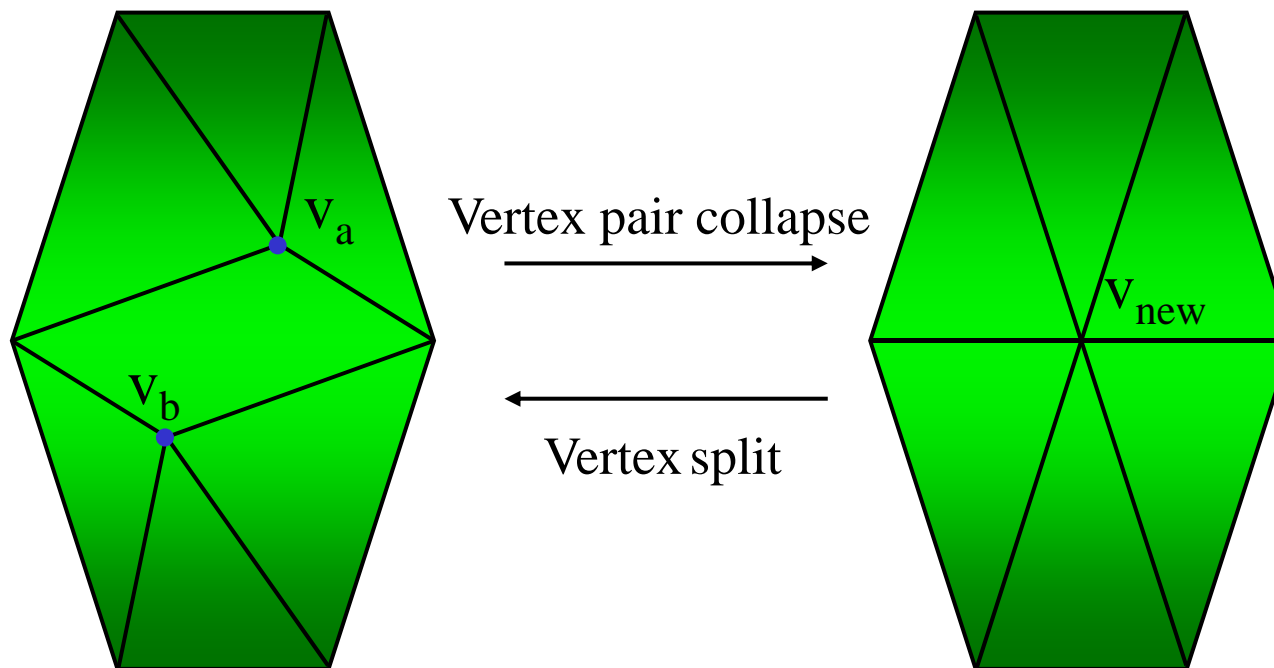
- Calculate the adjacent face normals, then test if they would flip after simplification
- If so, that simplification can be weighted heavier or disallowed



Implementation: Watch for Identical / Non-Manifold Tris



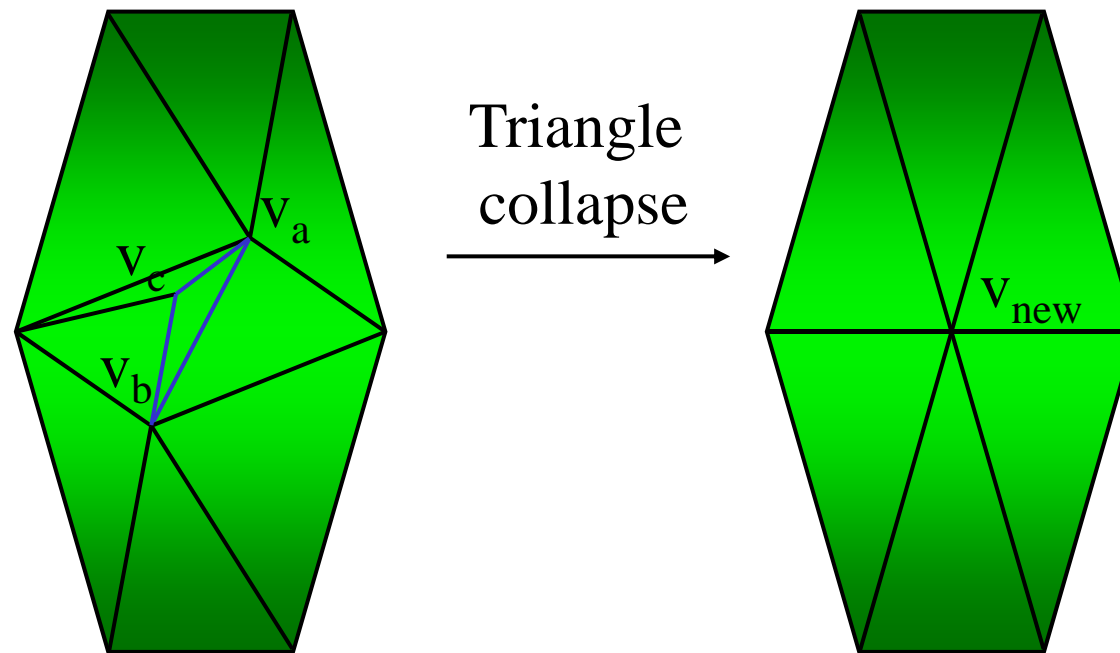
Vertex-Pair Collapse



Schroeder, *Visualization 97*; Garland & Heckbert, *SIGGRAPH 97*;
Popovic & Hoppe, *SIGGRAPH 97*; El-Sana & Varshney, *Eurographics 99*; ...



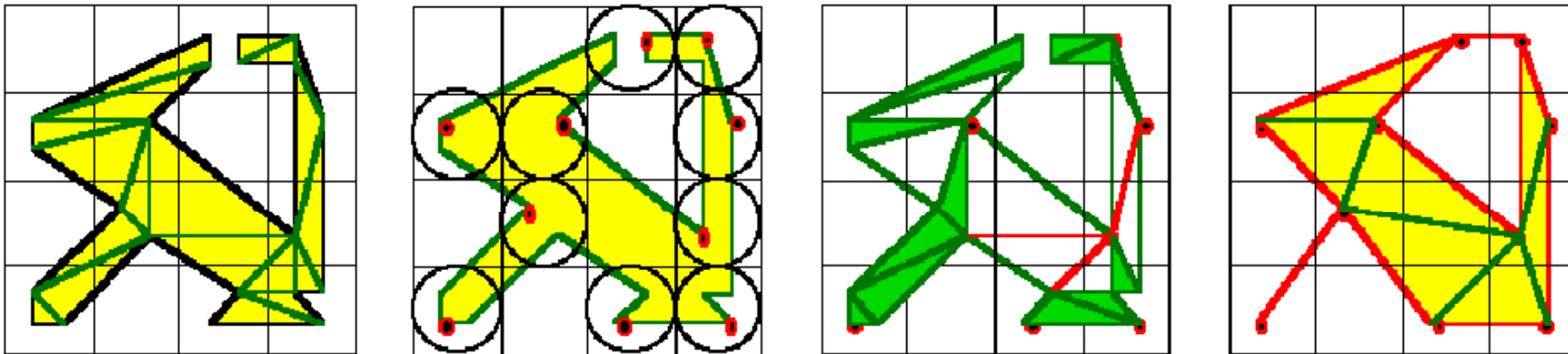
Triangle Collapse



Hamann, *CAGD 94*; Gieng *et al.*, *IEEE TVCG 98*



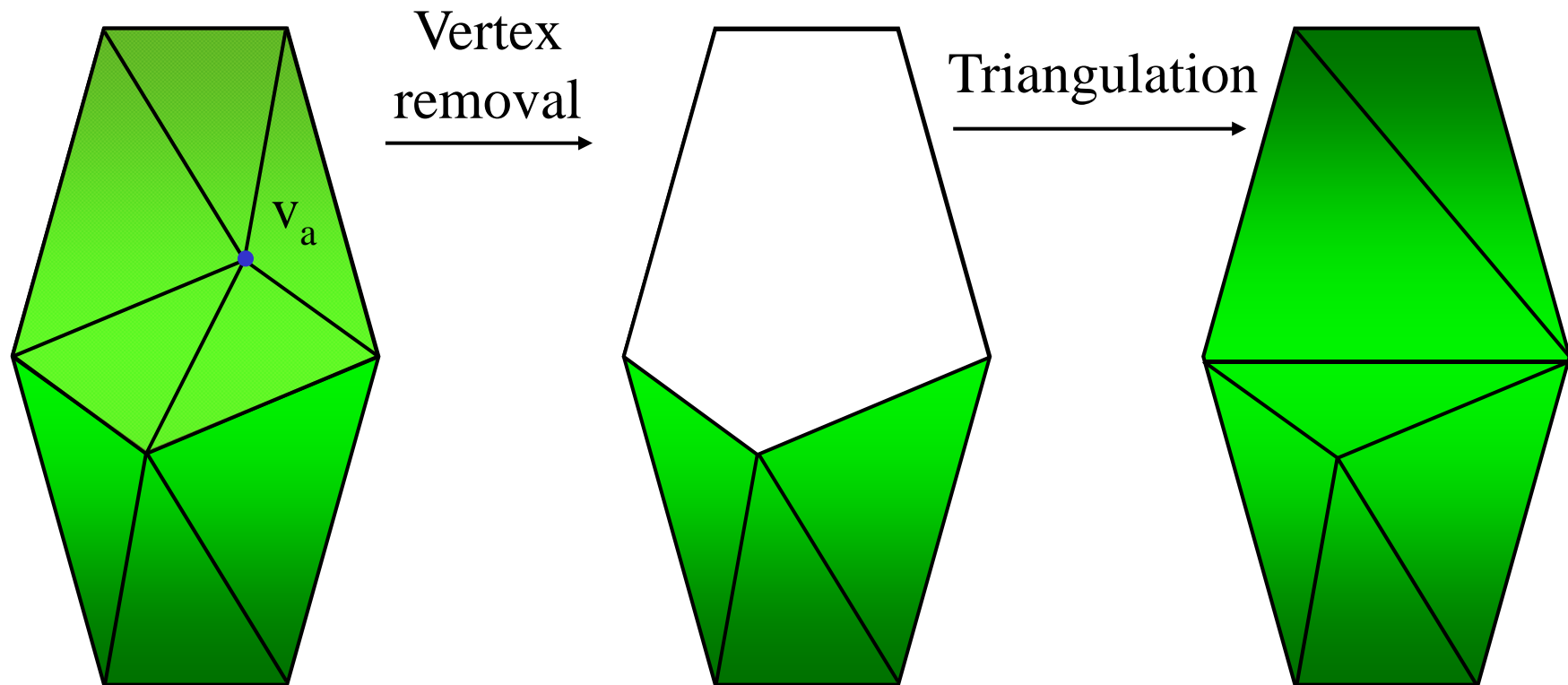
Cell Collapse



Grid based: Rossignac & Borrel, *Modeling in Computer Graphics 93*
Octree-based: Luebke & Erikson, *SIGGRAPH 98*



Vertex Removal



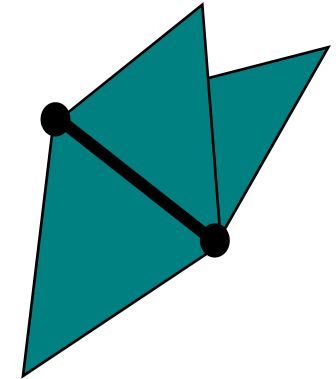
Schroeder *et al.*, *SIGGRAPH 92*;
Klein & Kramer, *Spring Conf. On Comp. Graphics 97*



- Replace a subset of adjacent triangles by a simplified set with
 - *“Multi-triangulation”*
- Fairly general: can encode edge collapses, vertex removals, and edge flips

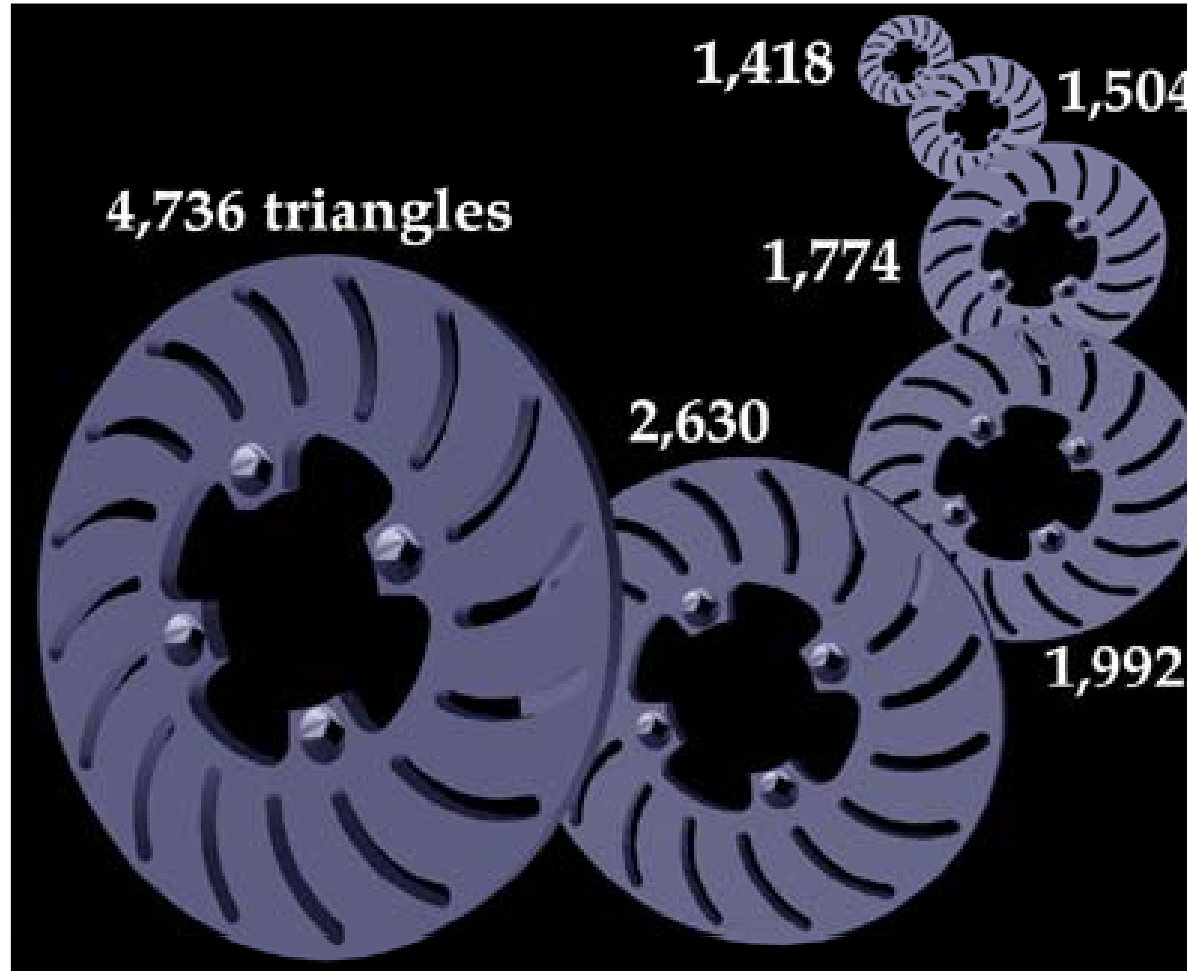


- Edge collapse and triangle collapse:
 - Simplest to implement
 - Support geometric morphing across levels of detail
 - Support non-manifold geometry
- Full-edge vs. half-edge collapses:
 - Full edge represents better simplifications
 - Half-edge is more efficient in incremental encoding
- Cell collapse:
 - Simple, robust
 - Varies with rotation/translation of grid
- Vertex removal vs edge collapse
 - Hole retriangulation is not as simple as edge collapse
 - Smaller number of triangles affected in vertex removal



Simplifying Geometry vs Topology

- Pure geometric simplification not enough



- Collapsing vertex pairs (“pair contraction”) / virtual edges
 - Schroeder, *Visualization 97*
 - Popovic and Hoppe, *SIGGRAPH 97*
 - Garland and Heckbert, *SIGGRAPH 97*
- Collapsing primitives in a cell
 - Rossignac and Borrel, *Modeling in Comp. Graphics 93*
 - Luebke and Erikson, *SIGGRAPH 97*



- Allow virtual edge collapses
- Limit no. of virtual edges (potentially $O(n^2)$)
- Typical constraints:
 - Delaunay edges
 - Edges that span neighboring cells in a spatial subdivision: octree, grids, etc.
 - Maximum edge length



- Sample and reconstruct
- Adaptive subdivision



- Scatter surface with sample points
 - Randomly
 - Let them repel each other
- Reduce sample points
- Reconstruct surface



- Create a very simple *base model* that represents the model
- Selectively subdivide faces of base model until fidelity criterion met (draw)
- Big potential application: *multiresolution modeling*



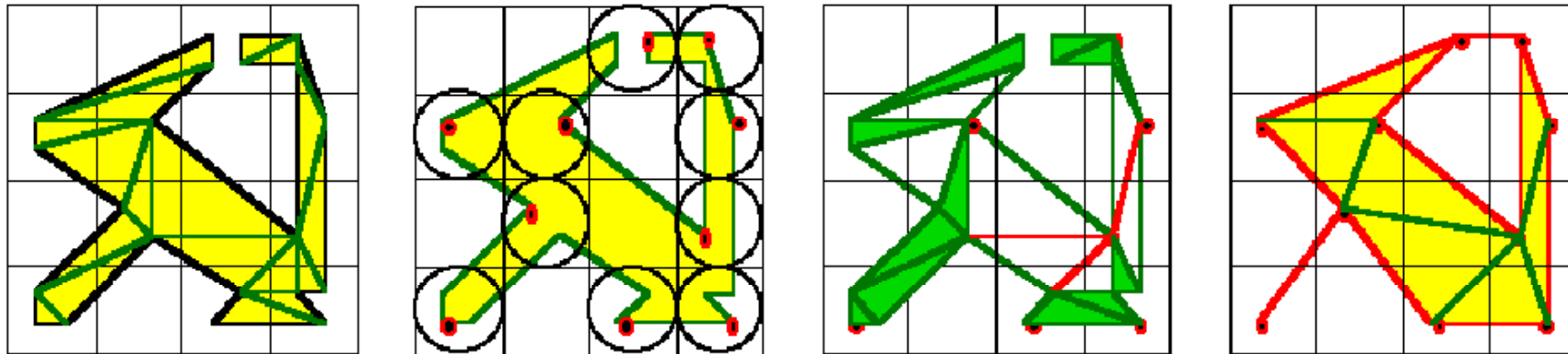
Example 1: Vertex Clustering

- Rossignac and Borrel, 1992
- Operator: cell collapse

- Apply a uniform 3D grid to the object
- Collapse all vertices in each grid cell to single *most important* vertex, defined by:
 - Curvature ($1 / \text{maximum edge angle}$)
 - Size of polygons (edge length)
- Filter out degenerate polygons



Example 1: Vertex Clustering



- Apply a uniform 3D grid to the object
- Collapse all vertices in each grid cell to single *most important* vertex, defined by:
 - Curvature ($1 / \text{maximum edge angle}$)
 - Size of polygons (edge length)
- Filter out degenerate polygons



- Resolution of grid determines degree of simplification
- Representing degenerate triangles
 - Edges: OpenGL line primitive
 - Points: OpenGL point primitive



■ Pros

- Very fast
- Robust (topology-insensitive)

■ Cons

- Difficult to specify simplification degree
- Low fidelity (topology-insensitive)
- Underlying grid creates sensitivity to model orientation

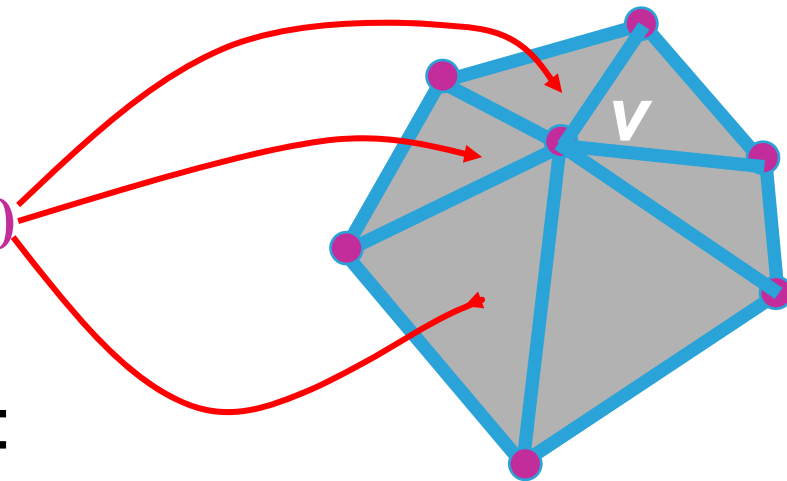


- What criteria to guide simplification?
 - Visual/perceptual criteria are hard
 - Geometric criteria are more common
- Examples:
 - Vertex-vertex distance
 - Vertex-plane distance
 - Point-surface distance
 - Surface-surface distance
 - Image-driven
- Issues:
 - Error propagation?
 - Need to include attributes (tex coords, ...)



- Vertex-plane distance
- Minimize distance to all planes at a vertex
- Plane equation for each face:

$$p: Ax + By + Cz + D = 0$$



- Distance to vertex \mathbf{v} :

$$p^T \cdot \mathbf{v} = [A \ B \ C \ D] \cdot \begin{bmatrix} x \\ y \\ z \\ 1 \end{bmatrix}$$



Squared Distance at a Vertex

$$\begin{aligned}\Delta(v) &= \sum_{p \in \text{planes}(v)} (p^T v)^2 \\ &= \sum_{p \in \text{planes}(v)} (v^T p)(p^T v) \\ &= \sum_{p \in \text{planes}(v)} v^T (pp^T) v \\ &= v^T \left(\sum_{p \in \text{planes}(v)} pp^T \right) v\end{aligned}$$



- pp^T is simply the plane equation squared:

$$pp^T = \begin{bmatrix} A^2 & AB & AC & AD \\ AB & B^2 & BC & BD \\ AC & BC & C^2 & CD \\ AD & BD & CD & D^2 \end{bmatrix}$$

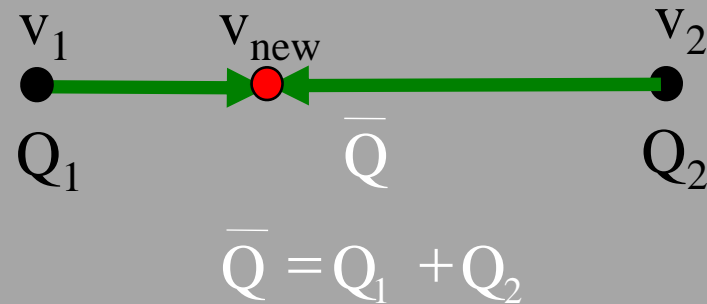
- *The pp^T sum at a vertex v is a matrix, Q :*

$$\Delta(v) = v^T (Q) v$$



- Construct a quadric Q for every vertex

The *edge quadric*:



- Sort edges based on edge cost
 - Suppose we contract to v_{new} :
 - Edge cost = $V_{\text{new}}^T \bar{Q} V_{\text{new}}$
 - V_{new} 's new quadric is simply Q



- Each vertex has a quadric error metric Q associated with it
 - Error is zero for original vertices
 - Error nonzero for vertices created by merge operation(s)
- Minimize Q to calculate optimal coordinates for placing new vertex
 - Details in paper
 - Authors claim 40-50% less error



- To preserve important boundaries, label edges as normal or *discontinuity*
- For each face with a discontinuity, a plane perpendicular intersecting the discontinuous edge is formed.
- These planes are then converted into quadrics, and can be weighted more heavily with respect to error value.

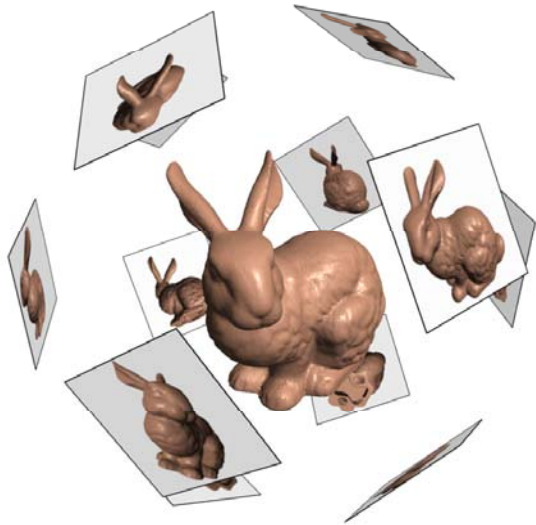


- Pros:
 - Fast! (bunny to 100 polygons: 15 sec)
 - Good fidelity even for drastic reduction
 - Robust -- handles non-manifold surfaces
 - Aggregation -- can merge objects



- Cons:
 - Introduces non-manifold surfaces
 - Tweak factor t is ugly
 - Too large: $O(n^2)$ running time
 - Correct value varies with model density
 - Needs further extension to handle color (7x7 matrices)





12 cameras used to capture quality of bunny simplification (Lindstrom/Turk 2000)

- Measure error by rendering
 - Compare resulting images
 - Lindstrom/Turk 2000
- Captures attribute and shading error, as well as texture content



- Reduce drastically
- Simulate lost geometry using bump maps
- NVIDIA/ATI tools available



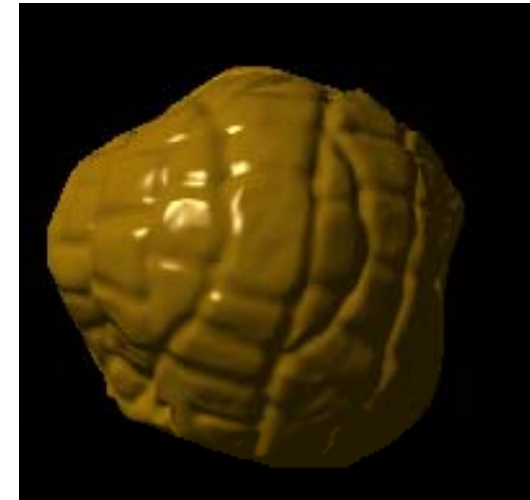
original

13.000 tris



simplification

1700 tris



normal-mapped

1700 tris



- Three basic LOD frameworks:
 - *Discrete LOD*: the traditional approach
 - *Continuous LOD*: encoding a continuous spectrum of detail from coarse to fine
 - *View-dependent LOD*: adjusting detail across the model in response to viewpoint



- Simplest programming model; decouples simplification and rendering
 - LOD creation need not address real-time rendering constraints
 - Run-time rendering engine need only pick LODs
- Fits modern graphics hardware well
 - Easy to compile each LOD into triangle strips, cache-aware vertex arrays, etc.
 - These render *much* faster than immediate-mode triangles on today's hardware



- So why use anything but discrete LOD?
 - Reason 1: sometimes discrete LOD not suited for **drastic simplification**
 - Reason 2: in theory, can get better **fidelity/polygon** with other approaches



- A departure from the traditional discrete approach:
 - **Discrete LOD**: create individual levels of detail in a preprocess
 - **Continuous LOD**: create data structure from which a desired level of detail can be extracted *at run time*.



- Better granularity → better fidelity
 - LOD is specified exactly, not chosen from a few pre-created options
 - Thus objects use no more polygons than necessary, which frees up polygons for other objects
 - Net result: better resource utilization, leading to better overall fidelity/polygon



- Better granularity → smoother transitions
 - Switching between traditional LODs can introduce visual “popping” effect
 - Continuous LOD can adjust detail gradually and incrementally, reducing visual pops
 - Can even *geomorph* the fine-grained simplification operations over several frames to eliminate pops (e.g., w/ a vertex shader)



- Supports progressive transmission (*streaming*)
 - *Progressive Meshes [Hoppe 97]*
 - *Progressive Forest Split Compression [Taubin 98]*
- Leads to
 - Use current view parameters to select best representation *for the current view*
 - Single objects may thus span several levels of detail



- “Progressive meshes”
- Iteratively apply local simplification operator
 - Until base mesh
- Entity = edge or vertex or triangle ...

Sort all entities (by some metric)

repeat

Apply local simplification operator:

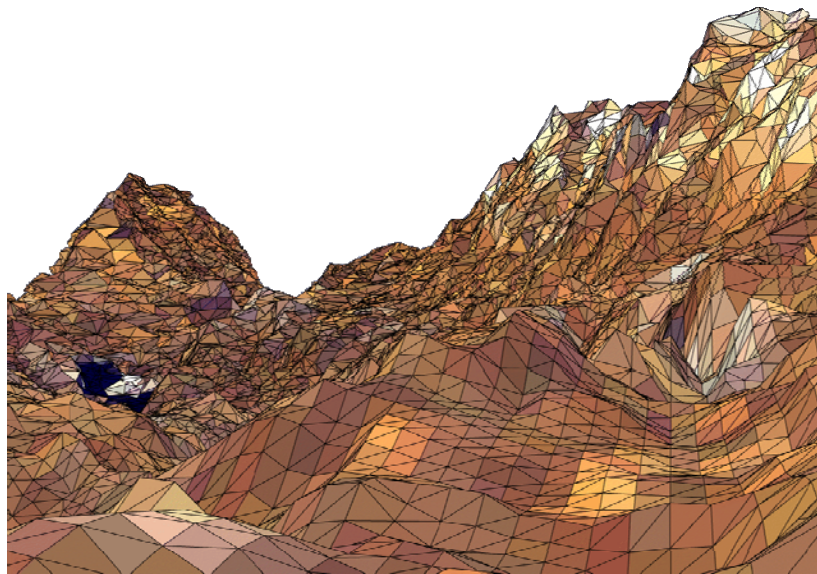
remove entity

Fix-up topology

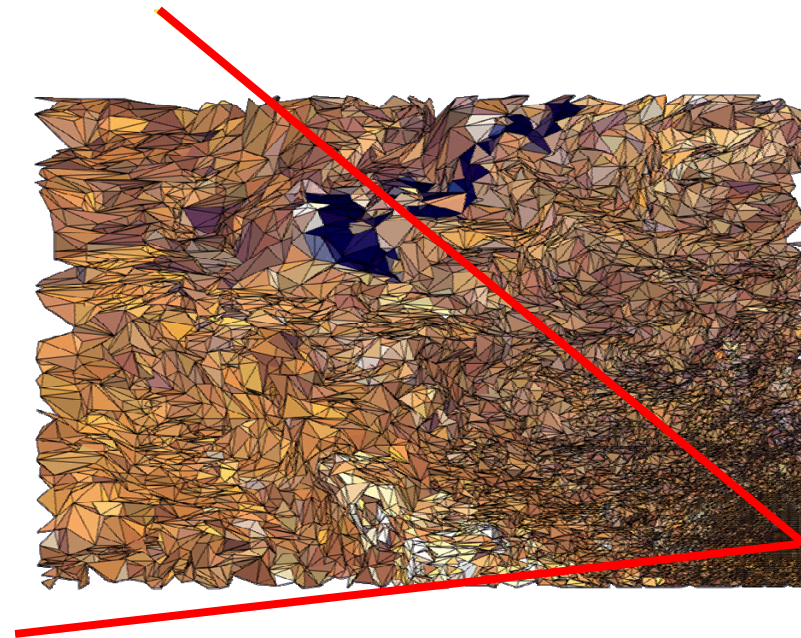
until (no entities left)



- Show nearby portions of object at higher resolution than distant portions



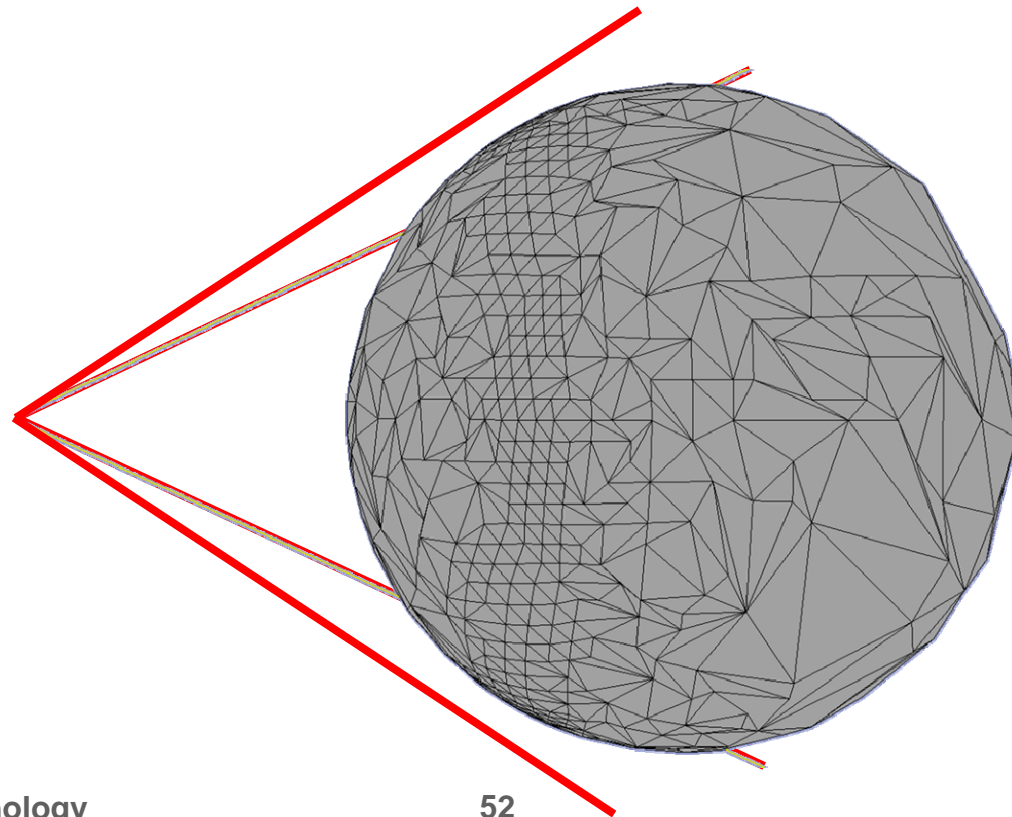
View from eyepoint



Birds-eye view



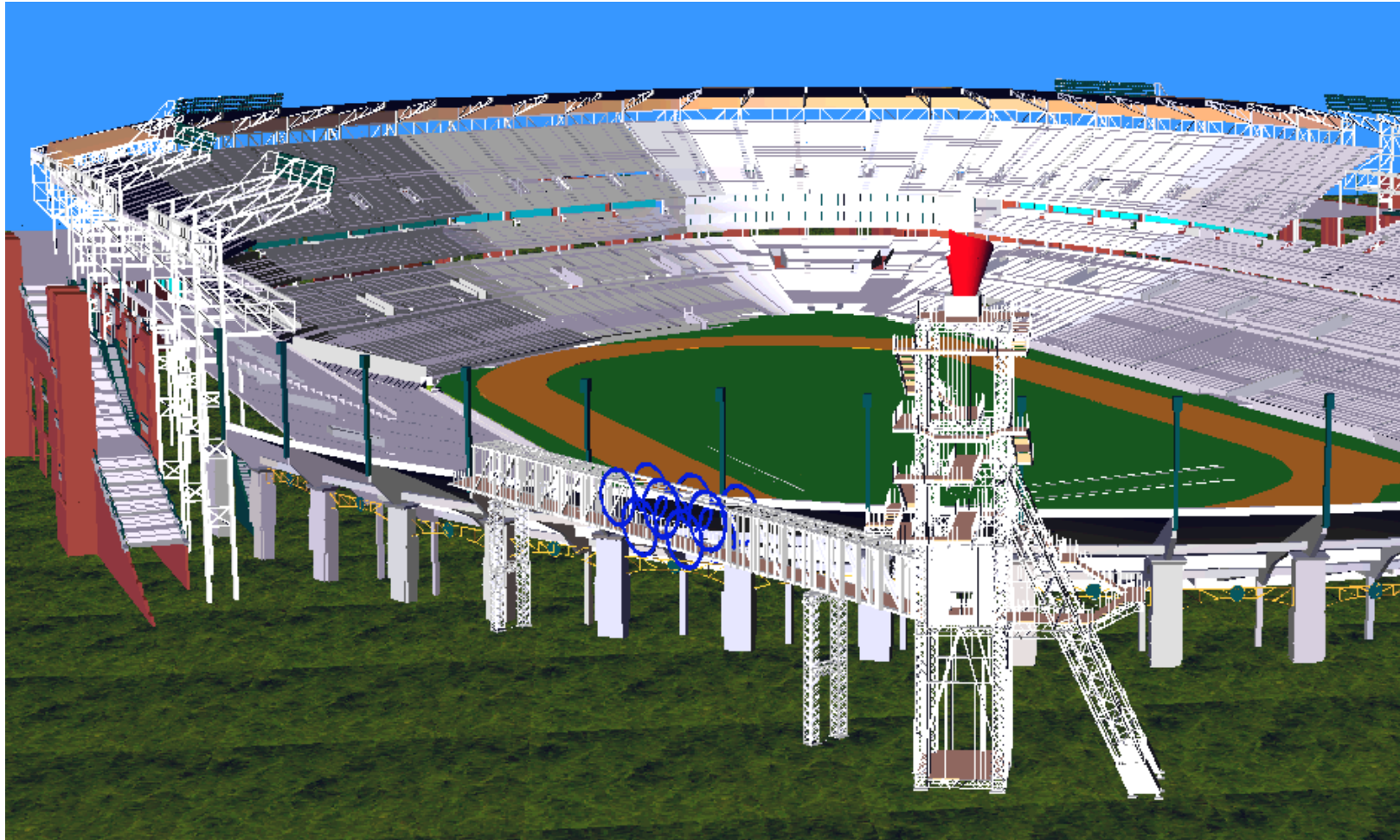
- Show silhouette regions of object at higher resolution than interior regions



- Even better granularity
- Enables drastic simplification of very large objects
 - Example: stadium model
 - Example: terrain flyover



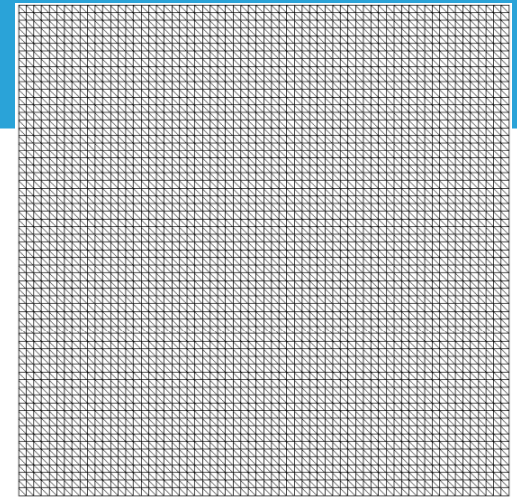
Drastic Simplification: The Problem With Large Objects



- Has been around for long (flight simulators, GIS, games ...)
- Geometry is more constrained
 - Specialized solutions
- Properties
 - Simultaneously very near and very far
 - Requires progressive/view-dependent LOD!
 - Very large terrains → out-of-core
- Problems:
 - Dynamic modification of terrain data
 - Fast rotation



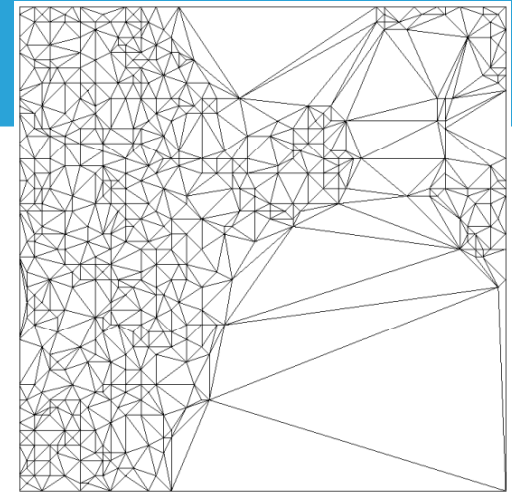
Regular Grids



- Uniform array of height values
- Simple to store and manipulate
- Easy to interpolate to find elevations
- Less disk/memory (only store z value)
- Easy view culling and collision detection
- Used by most implementers



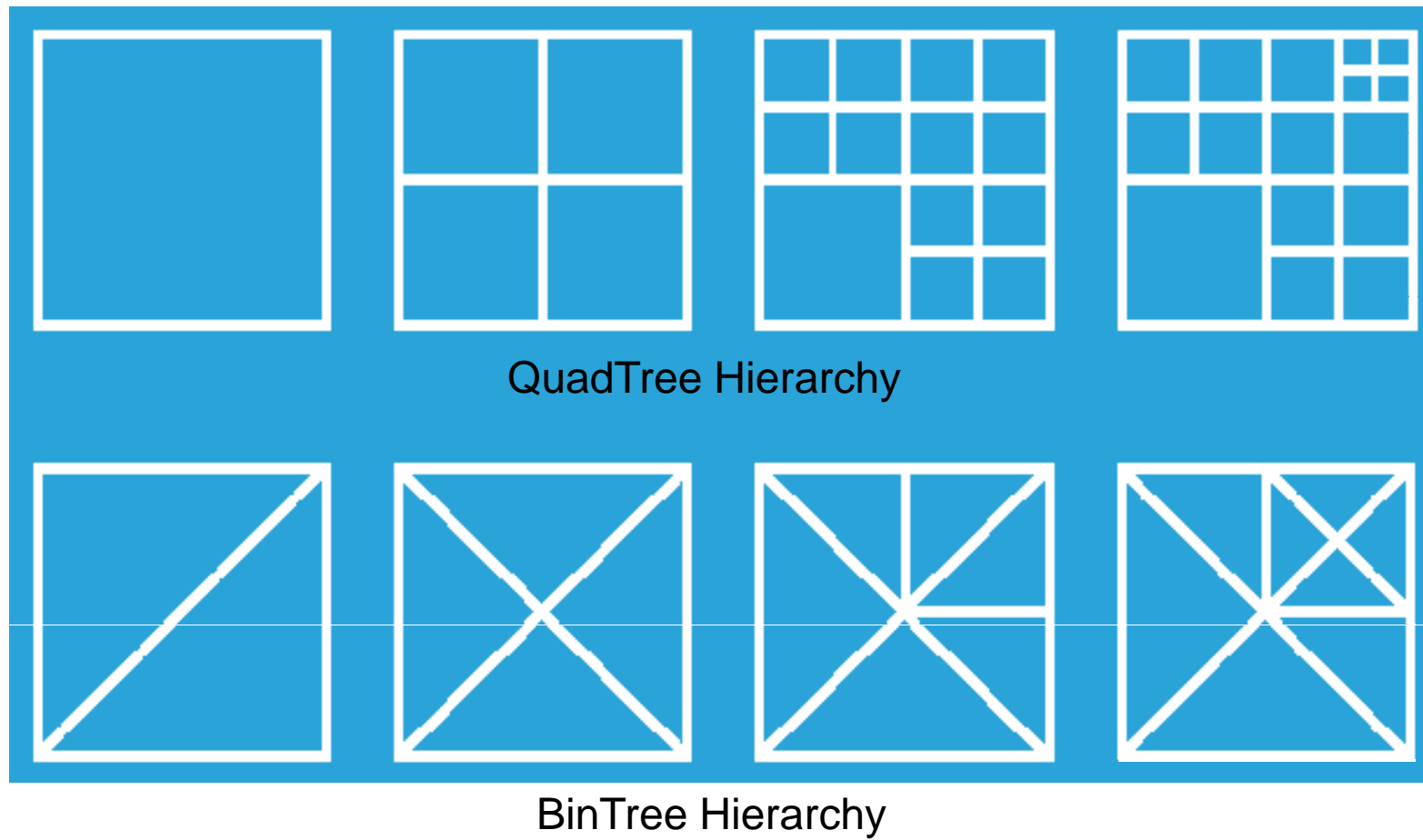
TINs



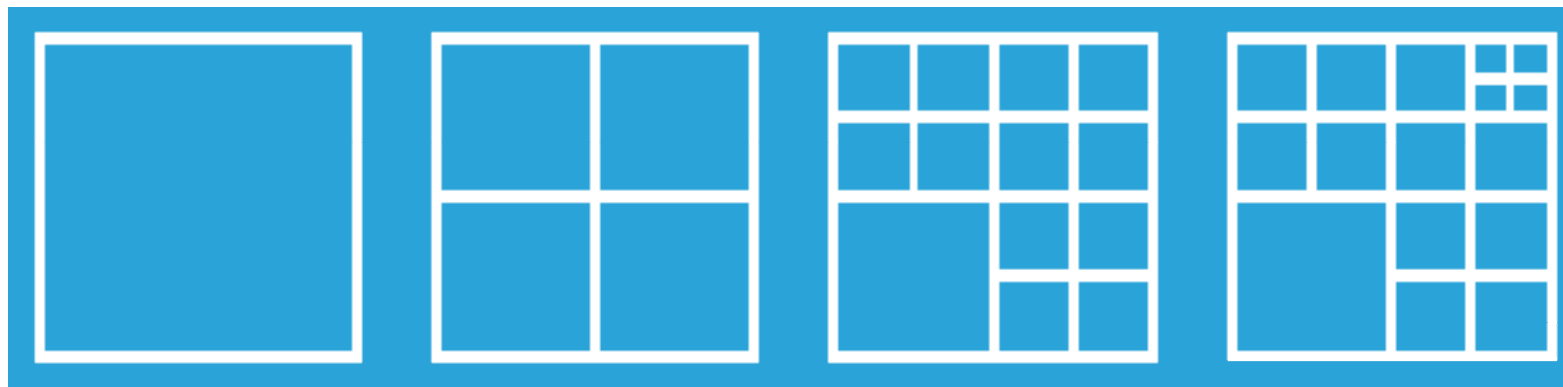
- Triangulated Irregular Networks
- Fewer polygons needed to attain required accuracy
- Higher sampling in bumpy regions and coarser in flat ones
- Can model maxima, minima, ridges, valleys, overhangs, caves



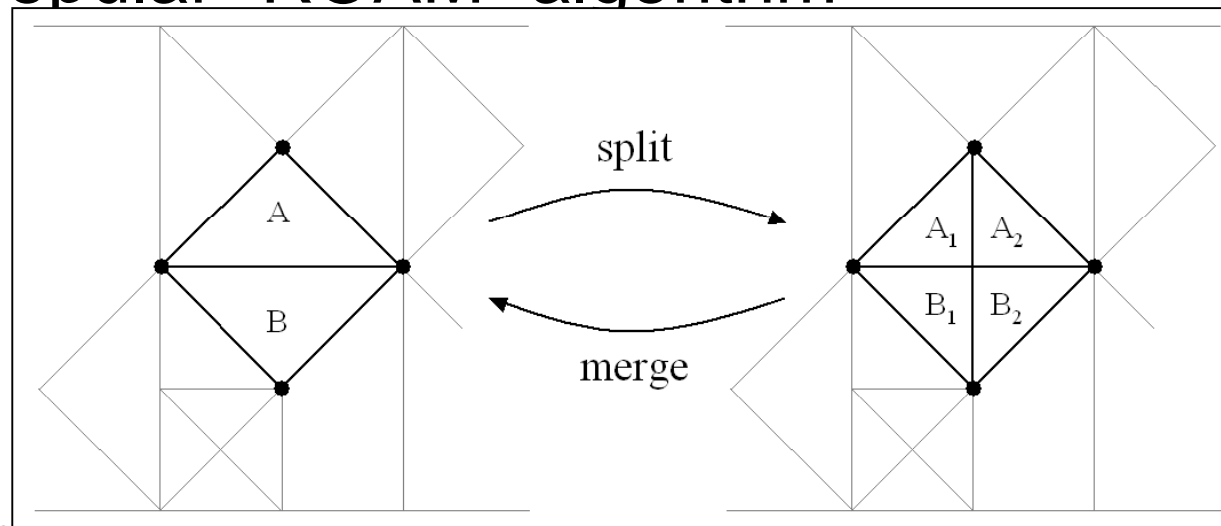
LOD Hierarchy Structures

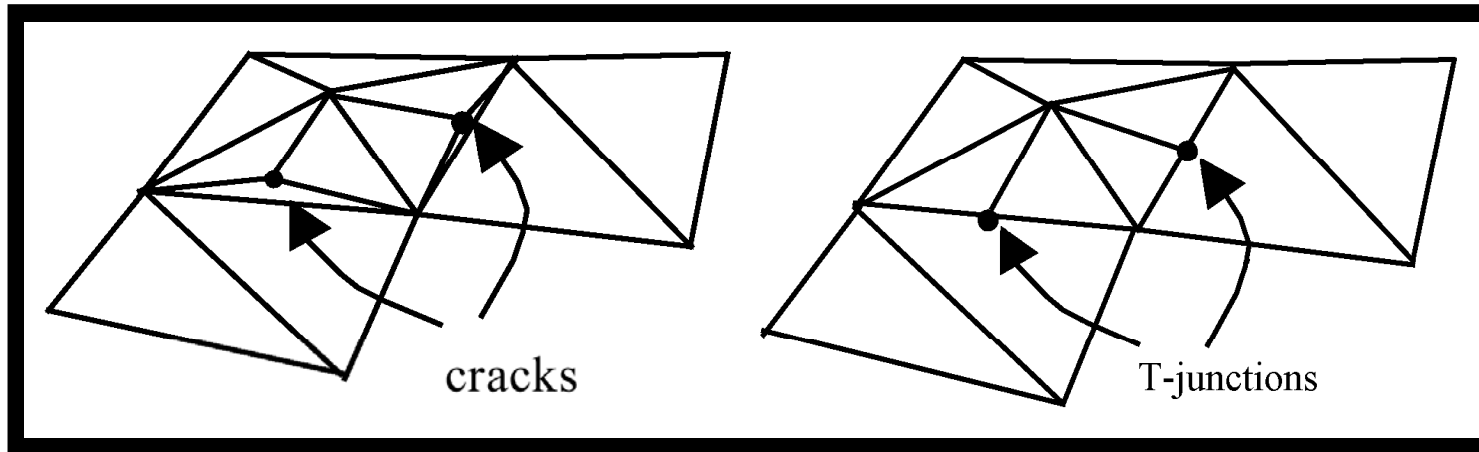


- Each quad is actually two triangles
- Produces cracks and T-junctions
- Easy to implement
- Good for out-of-core operation



- Terminology
 - Binary triangle tree (bintree, bintritree, BTT)
 - Right triangular irregular networks (RTIN)
 - Longest edge bisection
- Easier to avoid cracks and T-junctions
- Neighbor is never more than 1 level away
- Very popular “ROAM” algorithm



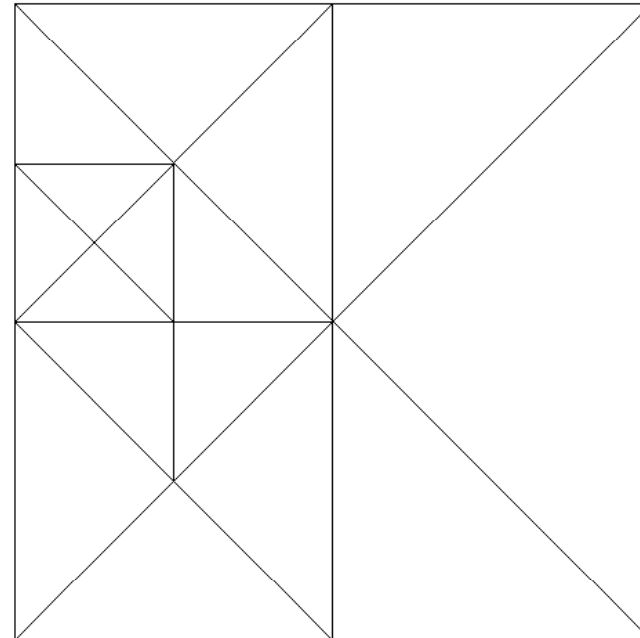
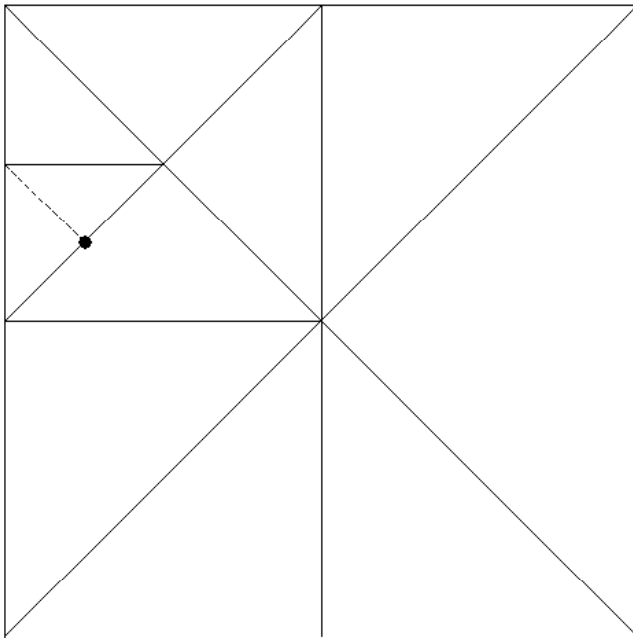


- Avoid cracks:
 - Force cracks into T-junctions / remove floating vertex
 - Fill cracks with extra triangles
- Avoid T-junctions:
 - Continue to simplify ...

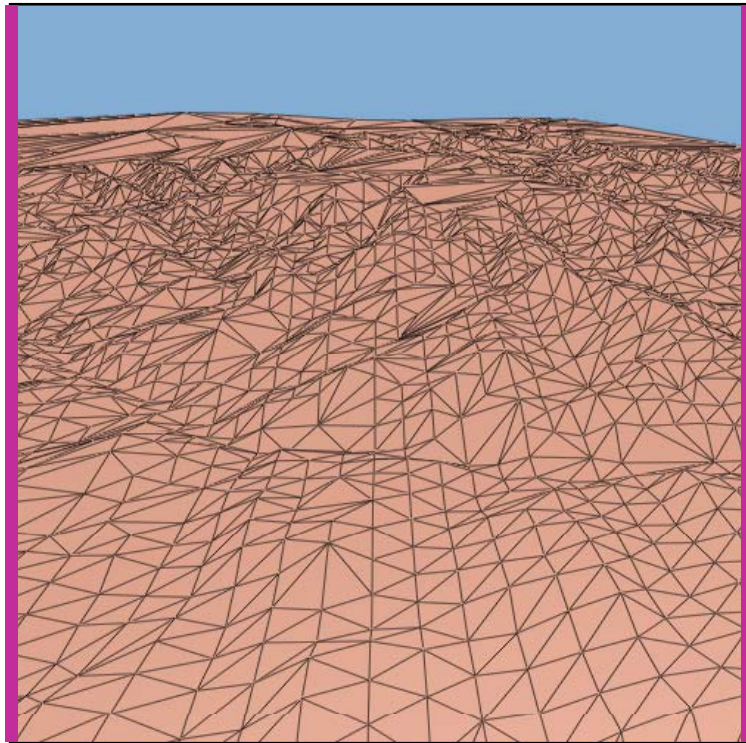


Avoiding T-junctions

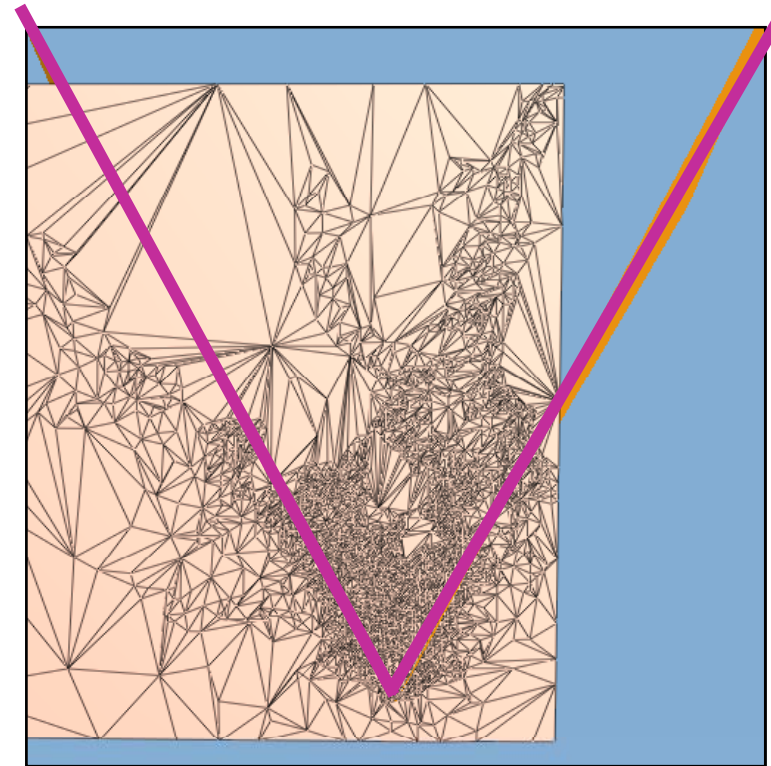
- In bintrees:



- Hoppe et al.



actual view



overhead view

